

NLB: Negative (No) Lower Bound as a monetary policy instrument

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ECB, Monetary Policy Workshop, 19 December 2016

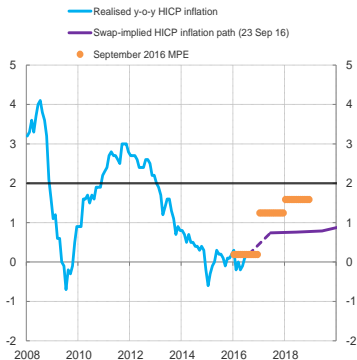
Work in progress (actually just started)

The views expressed in this presentation do not necessarily reflect those of the ECB or the Eurosystem.

Backdrop: sluggish recovery and weak inflation outlook

Euro area HICP inflation

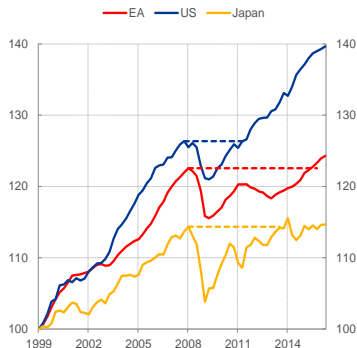
(year-on-year percent change)



Sources: Thomson Reuters, Eurostat, ECB calculations.
 Latest observation: August 2016 for HICP and June 2020 for swap-implied inflation path.

Real GDP

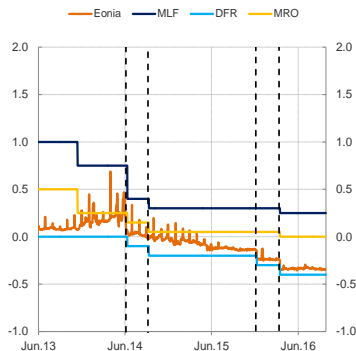
(Index, 1999Q1=100)



Sources: Eurostat, BEA, Cabinet Office, ECB calculations.
 Notes: horizontal dotted lines represent pre-crisis peak real GDP level.
 Latest observation: 2016 Q2.

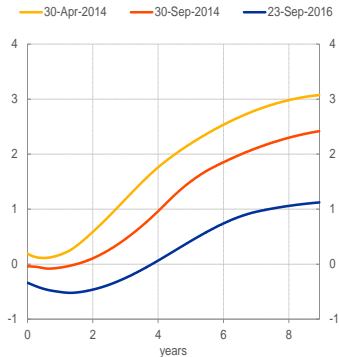
Deposit facility rate goes negative, 'risk-free' curve as well

ECB policy rates and overnight money market rates June 2014 – September 2016
(percent)



Sources: ECB and Reuters.
Latest observation: 23 September 2016.

EONIA forward curve
(percent)



Source: ECB.
Notes: the x-axis shows the number of years between the cut-off date of each curve and the contract date.
Latest observation: 23 September 2016.

Scope of the paper

- ▶ ECB as first large central bank with negative rate policy (NIRP) - unchartered policy territory
- ▶ Use a stylized macro model to illustrate:
 - ▶ ZLB-induced impediment to monetary policy accommodation
 - ▶ Term structure impact of shifting the LB from 0 to negative
 - ▶ Transmission to inflation and real activity
- ▶ Current discussion about detrimental effects of NIRP on and via banks
- ⇒ Expand model with simple banking sector, providing loans financed by deposits and capital to study impact on banks'
 - ▶ loan rates and volumes
 - ▶ net interest margin
 - ▶ profitability and capital
- ▶ ... and to capture feedback from banks to macroeconomy
- ▶ Calibrate/estimate model to the euro area

Related literature

- ▶ Effect of ZLB on term structure
 - ▶ Ruge-Murcia (2006)
 - ▶ Bauer and Rudebusch (2016)
 - ▶ Nakata and Tanaka (2016)
- ▶ ZLB and macro stabilisation policy
 - ▶ Eggertsson and Woodford (2003)
 - ▶ Jung, Teranishi and Watanabe (2005)
 - ▶ Nakov (2008)
 - ▶ Nakata and Schmidt (2015), etc.
- ▶ Relaxing the ZLB: NIRP
 - ▶ Lemke and Vladu (2016)
 - ▶ Demiralp, Eisenschmidt and Vlassopoulos (2016)
 - ▶ Heider, Saidi and Schepens (2016)
 - ▶ Brunnermeier and Koby (2016)

PRELIMINARY results

- ▶ ZLB constrains interest rates; it induces an upward bias on short-rate expectations and long rates
- ▶ This leads to asymmetric monetary policy accommodation and macroeconomic outcomes: too low inflation and output gap
- ▶ NIRP reduces current and expected policy rates. It makes policy and macro outcomes less asymmetric.
- ▶ The macroeconomic effect of relaxing the LB is still positive, when banks are important in transmission.
- ▶ Yet the effect is muted as banks face their own *zero* lower bound on re-financing (here: deposit) rates ...
- ▶ ...so that NIRP contributes to lowering net interest margins, profits and bank capital ...
- ▶ ... which decelerates the fall in loan rates and can in turn dampen the positive effect on the macro-economy

Outline

1. Motivation and stylized facts
2. The ZLB as a constraint on monetary policy
3. Lower bound as policy parameter
4. Feedback through the banking sector
5. Conclusion and next steps

A simple macroeconomic model...

- ▶ Dynamic macro model a la Rudebusch/Svensson (1999), Holston/Laubach/Williams (2016)
- ▶ Phillips curve

$$\pi_t = c^\pi + \alpha\pi_{t-1} + \beta x_{t-1} + \epsilon_t^\pi \quad (1)$$

- ▶ IS curve

$$x_t = c^x + \gamma x_{t-1} + \lambda(i_{t-1} - E_{t-1}[\pi_t]) + \epsilon_t^x \quad (2)$$

- ▶ Taylor rule

$$i_t = c^i + a\pi_t + bx_t + \theta i_{t-1} + \epsilon_t^i \quad (3)$$

... modified with feedback from *long* rate and (Z)LB

- ▶ Phillips curve

$$\pi_t = c^\pi + \alpha\pi_{t-1} + \beta x_{t-1} + \epsilon_t^\pi \quad (4)$$

- ▶ IS curve

$$x_t = c^x + \gamma x_{t-1} + \lambda \underbrace{\left(y_{t-1}^2 - E_{t-1} \left[\frac{1}{2}\pi_t + \frac{1}{2}\pi_{t+1} \right] \right)}_{\text{Long-term real rate}} + \epsilon_t^x \quad (5)$$

- ▶ Taylor rule

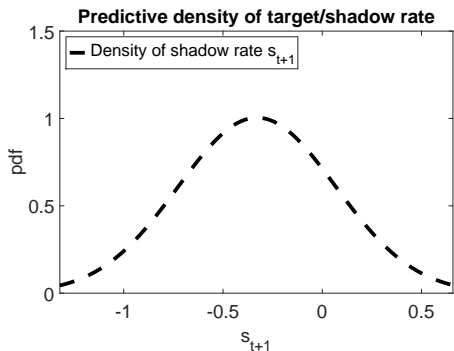
$$s_t = c^s + a\pi_t + bx_t + \theta s_{t-1} + \epsilon_t^s \quad (6)$$

$$i_t = \max\{s_t, LB\} \quad (7)$$

- ▶ Long (=2-period) rate

$$y_t^2 = \frac{1}{2}i_t + \frac{1}{2}E_t(i_{t+1}) + \underbrace{\frac{1}{2}QVar_t(i_{t+1})}_{\text{Term premium}} \quad (8)$$

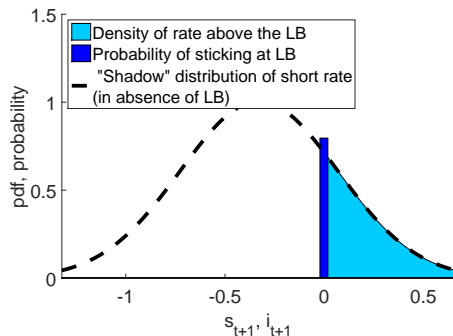
Predictive density of *target/shadow rate* is normal



$$E_t(s_{t+1}) = -0.33$$

- ▶ $s_{t+1} | \mathcal{F}_t \sim N(\mu_{s,t}, \sigma_{s,t}^2)$, where
 - $\mu_{s,t} =$
 $c^s + aE_t(\pi_{t+1}) + bE_t(x_{t+1}) + \theta s_t$
 - and $\sigma_{s,t}^2 = a^2\sigma_\pi^2 + b^2\sigma_x^2 + \sigma_s^2$

... but distribution of actual short rate is censored

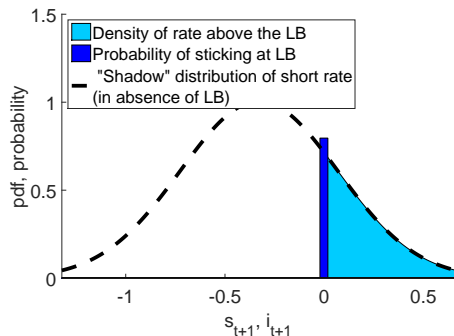


$$E_t(s_{t+1}) = -0.33$$

- ▶ $s_{t+1} | \mathcal{F}_t \sim N(\mu_{s,t}, \sigma_{s,t}^2)$, where

$$\mu_{s,t} = c^s + aE_t(\pi_{t+1}) + bE_t(x_{t+1}) + \theta s_t$$
 and
$$\sigma_{s,t}^2 = a^2\sigma_\pi^2 + b^2\sigma_x^2 + \sigma_s^2$$
- ▶ $i_{t+1} = \max\{s_{t+1}, LB\} | \mathcal{F}_t$ is distributed as censored normal with $Prob_t(i_{t+1}) = LB > 0$

... biasing upwards expected short rates



$$E_t(s_{t+1}) = -0.33$$

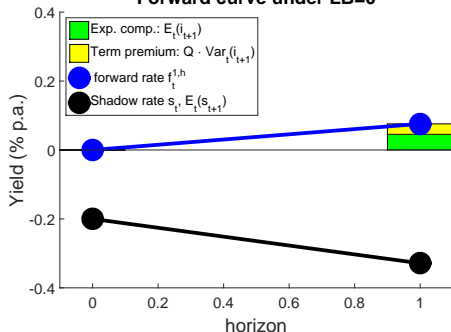
$$E_t(i_{t+1}) = 0.05$$

$$\text{Median}_t(i_{t+1}) = 0.0$$

- ▶ $s_{t+1} | \mathcal{F}_t \sim N(\mu_{s,t}, \sigma_{s,t}^2)$, where
 - $\mu_{s,t} = c^s + aE_t(\pi_{t+1}) + bE_t(x_{t+1}) + \theta s_t$
 - and $\sigma_{s,t}^2 = a^2\sigma_\pi^2 + b^2\sigma_x^2 + \sigma_s^2$
- ▶ $i_{t+1} = \max\{s_{t+1}, LB\} | \mathcal{F}_t$ is distributed as censored normal with $Prob_t(i_{t+1}) = LB > 0$
- ▶ $E_t(i_{t+1})$ is biased upwards:
 - ▶ If LB binding: $E_t(s_{t+1}) < LB = \text{med}_t(i_{t+1}) < E_t(i_{t+1})$
 - ▶ Even if LB not binding: $LB < E_t(s_{t+1}) < E_t(i_{t+1})$

... elevating forward (and spot) rates

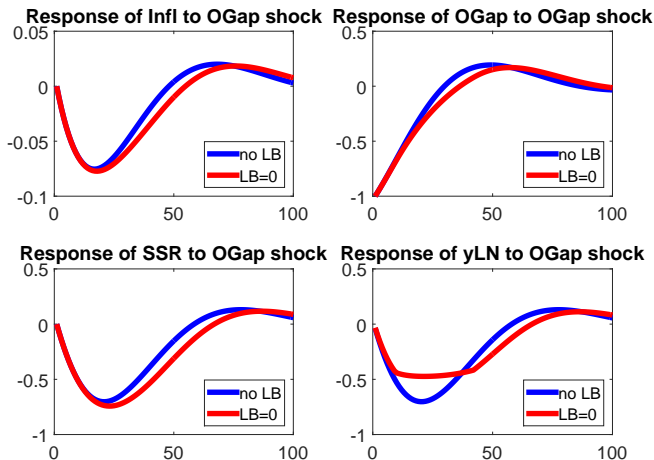
Forward curve under LB=0



- ▶ $s_{t+1} | \mathcal{F}_t \sim N(\mu_{s,t}, \sigma_{s,t}^2)$, where $\mu_{s,t} = c^s + aE_t(\pi_{t+1}) + bE_t(x_{t+1}) + \theta s_t$ and $\sigma_{s,t}^2 = a^2\sigma_\pi^2 + b^2\sigma_x^2 + \sigma_s^2$
- ▶ $i_{t+1} = \max\{s_{t+1}, LB\} | \mathcal{F}_t$ is distributed as censored normal with $Prob_t(i_{t+1}) = LB > 0$
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 - ▶ Even if LB not binding: $LB < E_t(s_{t+1}) < E_t(i_{t+1})$
- ▶ ... which affects forward rate $f_t^{1,1} = E_t(i_{t+1}) + Q \cdot \text{Var}_t(i_{t+1})$
- ▶ and spot rate $y_t^2 = \frac{1}{2}i_t + \frac{1}{2}f_t^{1,1}$

Monetary policy response less effective at ZLB

$\pi_t = 2\%$, $x_t = 0.0\%$, $s_t = 0.5\%$, shock to x_t of -1 percentage point



Macro outcomes are biased

- ▶ Expectations of variables under no LB vs $LB = 0$:

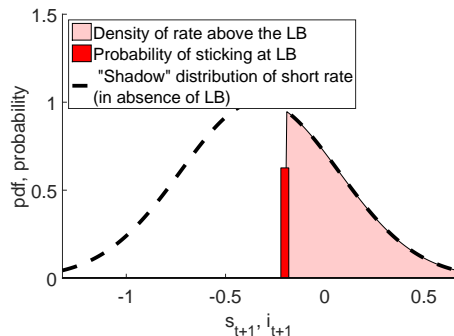
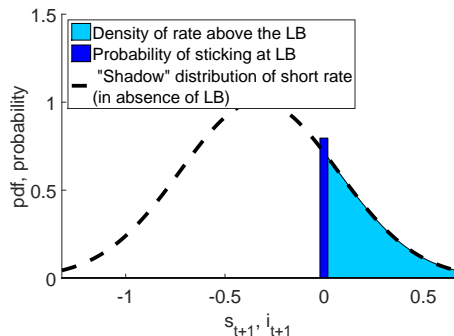
	π	x	s	y^2
no LB	2.00	0.00	2.00	2.00
$LB = 0$	1.95	-0.25	1.31	2.17

- ▶ Negative bias in inflation π and output gap x .
- ▶ Negative bias in shadow rate s . It needs to visit negative territory more often in order to 'at least' achieve $y^2 = 0$ (as negative rates are excluded)
- ▶ Positive bias in long rate y^2
- ▶ These (and all other macro) results to be re-visited under more careful calibration.

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Shift in LB decreases rate expectations...



- ▶ Decrease in lower bound shifts probability to formerly infeasible region

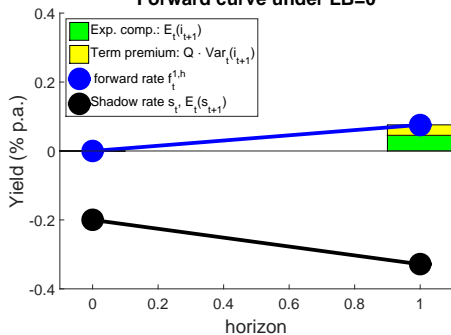
- ▶ Expected rate decreases unambiguously:

$$-\frac{\partial E_t(i_{t+1})}{\partial LB} = \Phi\left(\frac{E_t(s_{t+1}) - LB}{\sigma_s}\right) - 1 < 0,$$

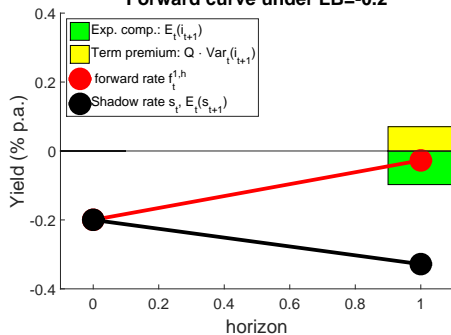
- ▶ Stronger effect the more LB binding, see Lemke/Vladu (2016)

... while term premium may rise due to higher variance

Forward curve under LB=0



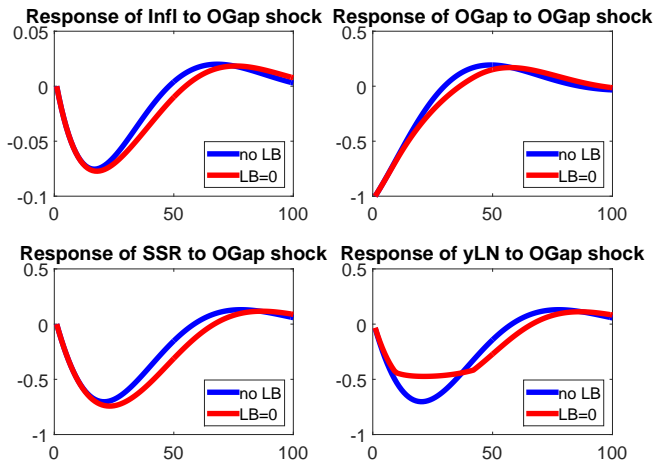
Forward curve under LB=-0.2



- ▶ But $Var_t(i_{t+1})$ increases \Rightarrow term premium $Q \cdot Var_t(i_{t+1})$ rises
- ▶ Overall impact on forward $E_t(i_{t+1}) + Q \cdot Var_t(i_{t+1})$ rate ambiguous,
- ▶ ... but need to study general equilibrium effect.
- ▶ $Var_t(i_{t+1}) \uparrow$ raises QE 'lever' \Rightarrow can re-adjust term premium

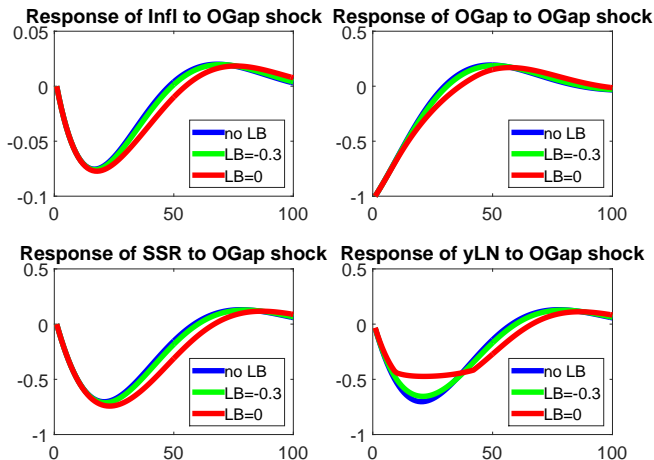
Recall problem at ZLB (and for now assume $Q = 0$)

$\pi_t = 2\%$, $x_t = 0.0\%$, $s_t = 0.5\%$, shock to x_t of -1 percentage point

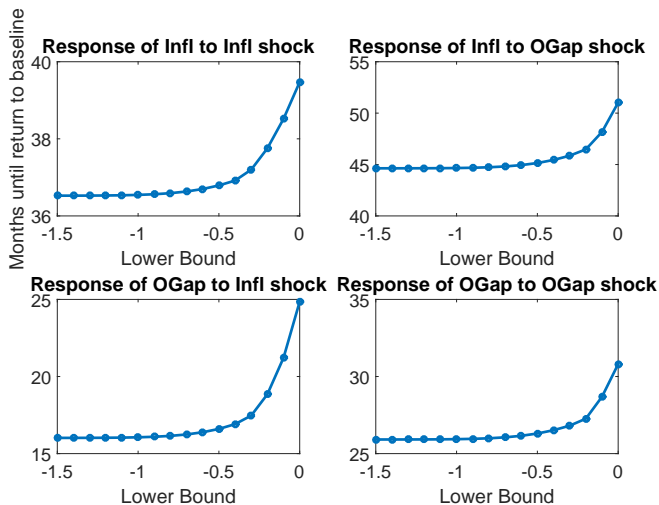


Relaxing LB \Rightarrow lower market rates \Rightarrow macro stabilization

$\pi_t = 2\%$, $x_t = 0.0\%$, $s_t = 0.5\%$, shock to x_t of -1 percentage point



Decreasing $LB \Rightarrow$ faster closing of inflation and output gap



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Sketching out a stylised banking sector

- ▶ So far analysis has not pointed to any costs of NIRP
 - ▶ But NIRP for long may weigh on bank profits as banks' re-financing does not go down 1:1 with market short rate.
 - ▶ Compare also Brunnermeier and Koby, 2016
- ⇒ To meaningfully consider trade-offs we need to introduce banks into our laboratory

A highly stylised bank balance sheet

Assets	Liabilities
Loans Q	Capital K
	Deposits D



The pricing of deposits

Assets	Liabilities
Loans Q	Capital K
	Deposits D

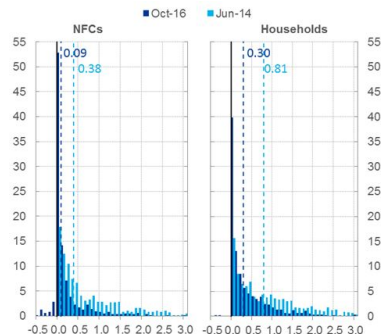
Deposits priced by applying a mark-down (α) on the short term rate (i_t) but are subject to a zero lower bound:

$$d_t = \max(i_t - \alpha, 0)$$

\Rightarrow there is also a second, bank-specific lower bound ($LB_{Bank} = 0 \geq LB$)

Distribution of deposit rates to households and NFCs

(x-axis: deposit rates in percentages per annum, y-axis: frequencies in percentages)



Source: ECB.

Note: Deposit rates on new business as reported by individual banks for each of the available product categories. The dotted lines show the weighted average deposit rates in Jun-14 and Oct-16.

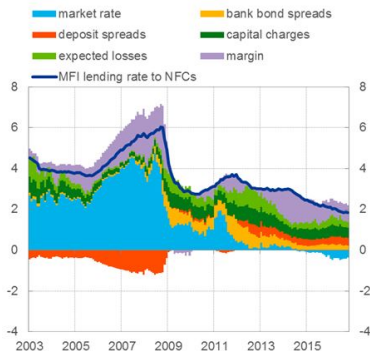
The pricing of loans

Assets	Liabilities
Loans Q	Capital K
	Deposits D

Loans are 2-period assets, so they are priced off the 2-period 'risk-free' rate (y_t^2) plus a spread that reflects the cost of equity and depends on the initial leverage position:

$$l_t^2 = y_t^2 + f \left(\frac{K_{t-1}}{Q_{t-1}} \right)$$

Decomposition of bank lending rate on loans to NFCs in the euro area (percentages per annum)



Sources: ECB and ECB calculations.

Capital and bank profits

Assets	Liabilities
Loans Q	Capital K
	Deposits D

Law of motion of bank capital:

$$K_t = K_{t-1} + \Pi_t$$

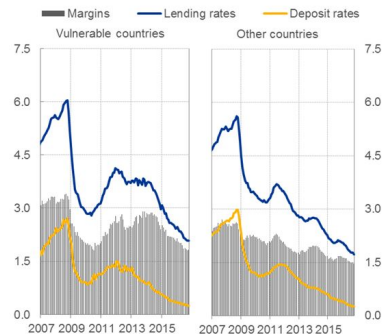
Bank profits:

$$\Pi_t = \sum_{j=0}^1 (l_{t-j}^2 Q_{t-j}) -$$

$$d_t \left[\sum_{j=0}^1 (Q_{t-j}) - K_t \right]$$

Loan-deposit margins for euro area banks

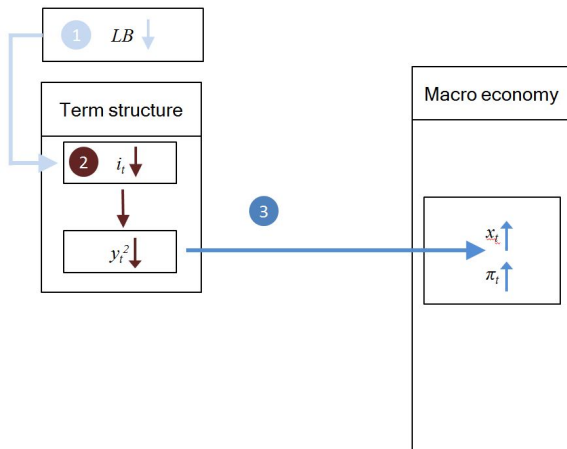
(percentages per annum)



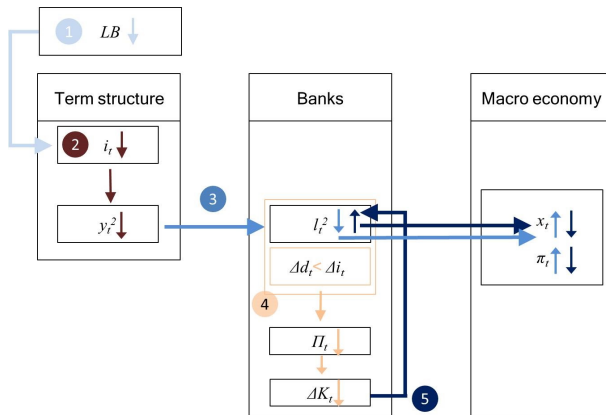
Source: ECB.

Note: Loan and deposit composite rates on NFCs and households calculated using the corresponding outstanding amount volumes as weights.

A schematic representation of the feedback loop



A schematic representation of the feedback loop



The model with feedback from *long lending* rate, ...

- ▶ Phillips curve

$$\pi_t = c^\pi + \alpha\pi_{t-1} + \beta x_{t-1} + \epsilon_t^\pi \quad (9)$$

- ▶ IS curve

$$x_t = c^x + \gamma x_{t-1} + \lambda \underbrace{\left(i_{t-1}^2 - E_{t-1} \left[\frac{1}{2}\pi_t + \frac{1}{2}\pi_{t+1} \right] \right)}_{\text{Long-term real lending rate}} + \epsilon_t^x \quad (10)$$

- ▶ Taylor rule

$$s_t = c^s + a\pi_t + bx_t + \theta s_{t-1} + \epsilon_t^s \quad (11)$$

$$i_t = \max\{s_t, LB\} \quad (12)$$

- ▶ Long (=2-period) rate

$$y_t^2 = \frac{1}{2}i_t + \frac{1}{2}E_t(i_{t+1}) + \underbrace{\frac{1}{2}QVar_t(i_{t+1})}_{\text{Term premium}} \quad (13)$$

The banking module

- ▶ Deposit pricing

$$d_t = \max(i_t - \alpha, 0) \quad (14)$$

- ▶ Loan pricing

$$l_t^2 = y_t^2 + f\left(\frac{K_{t-1}}{Q_{t-1}}\right) \quad (15)$$

- ▶ Loan quantities determined by demand

$$Q_t = g(l_t^2, x_t) \quad (16)$$

- ▶ Deposit quantities determined endogenously via balance sheet identity

$$D_t = \sum_{j=0}^1 (Q_{t-j}) - K_{t-1} \quad (17)$$

The banking module (continued)

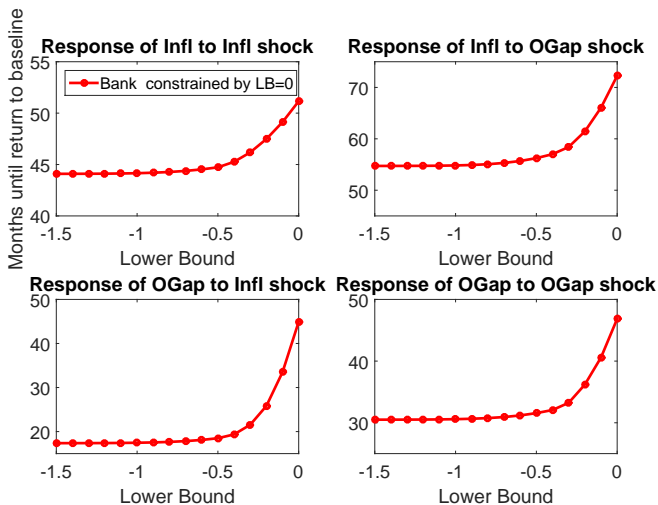
- ▶ Law of motion of capital

$$K_t = K_{t-1} + \Pi_t \quad (18)$$

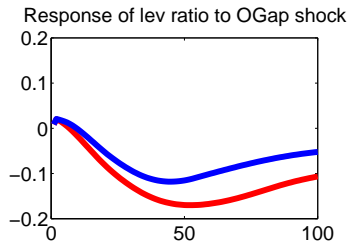
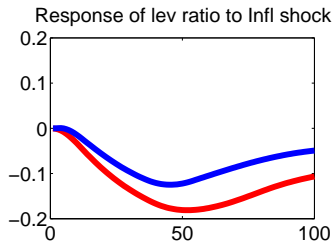
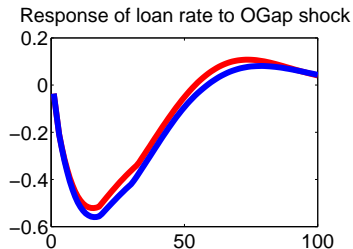
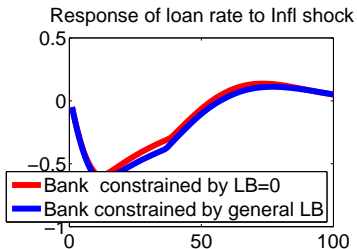
- ▶ Bank profits

$$\Pi_t = \sum_{j=0}^1 (l_{t-j}^2 Q_{t-j}) - d_t D_t \quad (19)$$

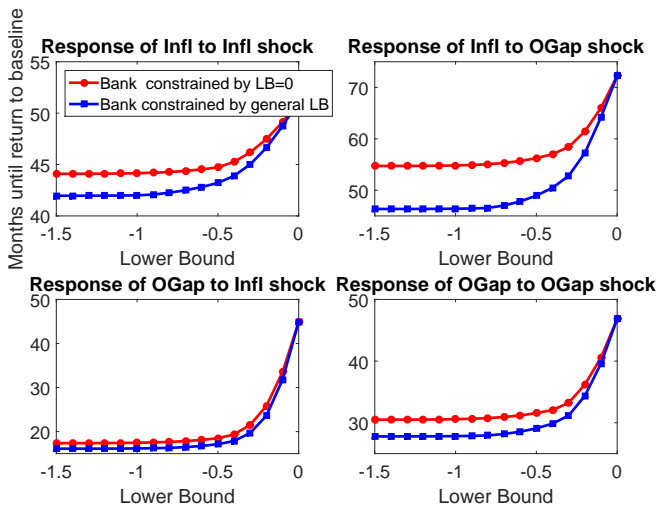
LB decrease beneficial also in bank economy



...but deposit rate rigidity squeezes profits ($LB = -0.3$)



... in turn dampening the benefit



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- ▶ ... which decelerates the fall in loan rates and can in turn dampen the positive effect on the macro-economy

Next steps

- ▶ Role of term premia
- ▶ Interaction with QE
- ▶ Refine calibration/estimation
- ▶ Replace 2-period bond by consol with flexible duration: stay closed-form?
- ▶ Sensible comparison of NIRP with forward guidance
- ▶ In-depth analysis of banking-sector transmission
- ▶ Modifications and extensions to the banking module:
 - ▶ Occasionally binding capital constraints (a la Brunnermeier and Koby (2016))
 - ▶ Richer balance sheet structure (assets and funding)
 - ▶ Endogenous loan default