## An Integrated Framework for Multiple Financial Regulation

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## Model Characteristics

## General equilibrium

- Incomplete Asset Markets
- Two goods
- Heterogeneous agents
-Pareto Inefficient Competitive Equil. -Rationale for policy intervention

Externalities from the financial system:

- Default, credit crunches and fire sales

Contracts and transactions in nominal currency

- Price for liquidity



## Model characteristics

* Uncertainty:
o Relative quantity of potatoes vs. houses
o Monetary endowments and banks' capital
o Central bank policy
* Households try to smooth consumption across goods within the period and total consumption over time
* Intermediaries improve smoothing but at the cost of amplifying shocks
* Regulations damp amplification of shocks but restrict smoothing


## Non-financial benchmark

Imagine no financial intermediation, just a CB with providing short-term liquidity/credit

Home-owner can self-insure using both cash and holding houses, so he can smooth consumption across goods and across periods.

* Farmer can equate marginal utility of houses and potatoes in period 1. But cannot smooth between period 1 and 2.


## Actions at $\mathrm{t}=2$

* (Uncertainty revealed: Bad news $\rightarrow$ house price crash, Good news $\boldsymbol{\rightarrow}$ a house price boom)
Focus on the bad news case which includes default Financial flows:
o N defaults on repos, leaving B with losses
o B partially defaults on long-term deposits, its capital is reduced and this leads to a reduction in lending
o B might also sell MBS to pay the depositors, but this will further depress house prices
o Relative price of potatoes must rise
o F rents a house, P moves to a smaller one


## Model properties and questions

* Knock effects from house price collapse and subsequent repo default
o Fire sale of MBS by banks
o Deposit defaults
o Potential margin spiral



## Potential Policy Respones

## Examined in the paper

o Capital requirement \& countercyclical capital buffers
o Liquidity regulation (LCR)
o Loan-to-value ratios
o Haircut requirements
o Dynamic provisioning
Future agenda
o Central Bank policies: conventional \& unconventional
o Taxes on: bank size, activity, deposits
o DTI, sectoral capital buffers, time-varying regulation
Off the table
o Net Stable Funding Ratio related to bank runs

## Regulatory Channels

Table 1: Impact of Alternative Regulations on Key Endogenous Variables (Change relative to baseline equilibrium)

|  | LTV | MR | $\mathrm{CR}_{1}$ | $\mathrm{CR}_{2 \mathrm{~b}}$ | $\mathrm{LCR}_{1}$ | DP |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Securitization | - | - | + | + | + | + |
| Relative price of potatoes to <br> housing-good state | - | $\approx 0$ | $\approx 0$ | + | + | + |
| Profits of the Bank period 1 | + | + | + | - | - | - |
| Profits of Bank good state | + | + | - | - | - | - |

## Welfare effects

Table 2: Impact of Alternative Regulations on Household Utilities and Financial Institutions' Welfare (Change relative to baseline equilibrium)

|  | LTV | MR | $\mathrm{CR}_{1}$ | $\mathrm{LCR}_{1}$ | $\mathrm{CR}_{2 \mathrm{~b}}$ | DP |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| P's Utility | - | $\approx 0$ | + | + | + | + |
| F's Utility | - | $\approx 0$ | $\approx 0$ | + | + | + |
| R's Utility | $\approx 0$ | $\approx 0$ | $\approx 0$ | - | $\approx 0$ | - |
| B's Payoff | + | + | + | - | - | - |
| N's Payoff | + | + | $\approx 0$ | $\approx 0$ | - | - |

## Combination Regulatory Packages

Table 3: Impact of Combining Regulations on Household Utilities and Financial Institutions’ Welfare
(Change relative to baseline equilibrium)

|  | $\mathrm{CR}_{1}, \mathrm{CR}_{2 \mathrm{~b}}, \mathrm{MR}$ | $\mathrm{CR}_{1}, \mathrm{LCR}_{1}, \mathrm{MR}$ | $\mathrm{CR}_{1}, \mathrm{CR}_{2 \mathrm{~b}}, \mathrm{LTV}$ |
| :--- | :---: | :---: | :---: |
| P's Utility | + | + | $\approx 0$ |
| F's Utility | + | - | - |
| R's Utility | $\approx 0$ | $\approx 0$ | $\approx 0$ |
| B's Payoff | + | + | + |
| N's Payoff | + | + | + |

## Importance of Dynamics

* Procyclicality
o Dynamically lower margins leading to higher default
o Distinguish between leverage and credit
o Marginal buyer / Marginal lender
* Time-varying regulation
o Which indicators should we use?
* Could give motive for bank runs and hence for NSFR and deposit insurance
Computational difficulties
o Discontinuities in the policy and transition functions
o Non-linearity probably important


## Example of procyclicality



Average Risk Weights


- Aggregate data for Globally Systemically Important

Financial Institutions (G-SIFIs)

- Source: Bloomberg


## Conclusions

Need a full GE model to sort out these effects

- Default in a key element: Can improve hedging, but can act as an amplifier of shocks

Concentrate on the channels through which regulation operates and not on the agents on which rules bind

* Financial system acts as an amplifier of primitive shocks
- Drop in the supply of credit due to loan losses further suppresses prices and income making default worse
- Default by financial institutions results in shocks being transferred throughout the economy
* Two-way interaction between financial instability and the real economy


## Conclusions ctd.

* Stabilizing bank and non-banks can improve welfare
* Structural vs. cyclical policy interventions
* Focus not only on credit, but also on leverage
* Multiple externalities require multiple tools: Are the complements or substitutes?
* But, be careful about combining tools, it is easy to design welfare-reducing policies


## Extra Slides

## Aside - Margin Spiral

$V_{2 b}^{\text {MORT }} \equiv \frac{P_{2 b, h_{1, h}^{p}}^{\operatorname{MORT}^{B}}\left(1+r^{\text {MORT }}\right)}{}$ and arbitrage pins down MBS prices
$P_{2 b, \text { MBS }}=\frac{V_{2 b}^{\text {MORT }}\left(1+r^{\text {MORT }}\right)}{1+r_{2 b}^{\text {CB }}}$
$\therefore$ MBS and house prices must be connected
$P_{2 b, \text { MBS }}=\frac{P_{2 b, h} h_{1, h}^{P}}{\text { MORT }^{B}} \frac{1}{1+r_{2 b}^{C B}} \Leftrightarrow P_{2 b, h}=P_{2 b, M B S} \frac{M O R T^{B}}{c_{1, h}^{P}}\left(1+r_{2 b}^{C B}\right)$
Plus cash-in-the-market pricing: $P_{2 b, M B S} M B S_{2 b}^{N} \leq E_{2 b}^{N}$
So more fire sales mean lower house prices!

## Household P’s Optimization Problem

$$
\begin{aligned}
\bar{U}^{P}= & U^{P}\left(c_{1, p}^{P}, c_{1, h}^{P}\right)+\tilde{\xi}_{2 g}\left[U^{P}\left(c_{2 g, p}^{P},(1-\delta) c_{1, h}^{P}+c_{2 g, h}^{P}\right)\right]+ \\
& \tilde{\xi}_{2 b}\left[U^{P}\left(c_{2 b, p}^{P}, c_{2 b, h}^{P}\right)-\tau_{2 b}^{P}\left(\operatorname{MORT}^{P}\left(1+r^{\text {MORT }}\right)-P_{2 b, h} c_{1, h}^{P}\right)\right]
\end{aligned}
$$

where

$$
U^{P}\left(c_{t s, p}^{P}, c_{t s, h}^{P}\right)=\frac{1}{1-\gamma^{P}}\left(c_{t s, p}^{P}\right)^{1-\gamma^{P}}+\frac{1}{1-\gamma^{P}}\left(c_{t s, h}^{P}\right)^{1-\gamma^{P}}
$$

## Household P’s budget constraints

$$
P_{1, h} c_{1, h}^{P} \leq \text { Money }_{1}^{P}+\text { MORT }^{P}+L S T_{1}^{P}
$$

$$
\operatorname{LST}_{1}^{P}\left(1+r_{1}^{S T}\right) \leq P_{1, p} q_{1, p}^{P}
$$

$\operatorname{MORT}^{P}\left(1+r^{\text {MORT }}\right)+P_{2 g, h} c_{2 g, h}^{P} \leq$ Money $_{2 g}^{P}+L S T_{2 g}^{P}$

$$
\operatorname{LST}_{2 g}^{P}\left(1+r_{2 g}^{S T}\right) \leq P_{2 g, p} q_{2 g, p}^{P}
$$

$$
P_{2 b, h} c_{2 b, h}^{P} \leq \text { Money }_{2 b}^{P}+L S T_{2 b}^{P}
$$

$$
L S T_{2 b}^{P}\left(1+r_{2 b}^{S T}\right) \leq P_{2 b, p} q_{2 b, p}^{P}
$$

## Household F’s Optimization Problem

$$
\bar{U}^{F}=\omega_{2 g}\left[U^{F}\left(c_{2 g, p}^{F}, c_{2 g, h}^{F}\right)\right]+\omega_{2 b}\left[U^{F}\left(c_{2 b, p}^{F}, c_{2 b, h}^{F}\right)\right]
$$

where
$U^{F}\left(c_{2 p}^{F}, c_{2 h}^{F}\right)=\frac{1}{1-\gamma^{F}}\left(c_{2 p}^{F}\right)^{1-\gamma^{F}}+\frac{1}{1-\gamma^{F}}\left(c_{2 h}^{F}\right)^{1-\gamma^{F}}$
and $\quad P_{2 s, h} c_{2 s, h}^{F} \leq$ Money $_{2 s}^{F}+L S T_{2 s}^{F}$

$$
L S T_{2 s}^{F}\left(1+r_{2 s}^{S T}\right) \leq P_{2 s, p} q_{2 s, p}^{F}
$$

## Household R’s Optimization Problem

$\bar{U}^{\mathrm{R}}=U^{\mathrm{R}}\left(c_{1, p}^{\mathrm{R}}, c_{1, h}^{\mathrm{R}}\right)+\tilde{\xi}_{29}\left[U^{\mathrm{R}}\left(c_{29, p}^{\mathrm{R}},(1-\delta)\left(c_{1, h}^{\mathrm{R}}\right)+c_{2, h}^{\mathrm{R}}, \mathrm{R}\right)\right]$
$+\tilde{\xi}_{2 b}\left[U^{R}\left(c_{2 b, p}^{R},(1-\delta)\left(c_{1, h}^{R}\right)+c_{2 b, h}^{R}\right)\right]$
where

$$
U^{R}\left(c_{s, p}^{R}, c_{s, h}^{R}\right)=\frac{1}{1-\gamma^{R}}\left(c_{s, p}^{R}\right)^{1-\gamma^{R}}+\frac{1}{1-\gamma^{R}}\left(c_{s, h}^{R}\right)^{1-\gamma^{R}}
$$

and
$P_{1, p} R_{1, p}^{R}+D^{R} \leq$ Money $_{1}^{R}+L S T_{1}^{R}$
$L S T_{1}^{R}\left(1+r_{1}^{S T}\right) \leq P_{1, h} q_{1, h}^{R}$
$P_{2 s, p} C_{2 s, p}^{R} \leq$ Money $_{2 s}^{R}+L S T_{2 s}^{R}+V_{2 s}^{D} D^{R}\left(1+r^{D}\right)$
$L S T_{2 s}^{R}\left(1+r_{2 s}^{S T}\right) \leq P_{2 s, h} q_{2 s, h}^{R}$

## Bank B’s Optimization Problem

$$
\begin{aligned}
\overline{\operatorname{Prof}}^{B} & =\operatorname{Prof}^{B}\left(\pi_{1}^{B}\right) \\
& +\xi \sum_{s} \omega_{2 s}\left[\operatorname{Prof}^{B}\left(\pi_{2 s}^{B}\right)-\tau_{2 s}^{B}\left[1-v_{2 s}^{B}\right] D^{B}\left(1+r^{D}\right)\right]
\end{aligned}
$$

where
$\operatorname{Prof}\left(\pi_{t s}^{B}\right)=\frac{1}{1-\gamma^{B}}\left(\pi_{t s}^{B}\right)^{1-\gamma^{B}} \quad$ and period 1 budget constraints
$L S T_{1}^{B}+R E P O^{B}+C C^{B} \leq E_{1}^{B}+D I S C_{1}^{B}+D^{B}$
$M O R T^{B} \leq C C^{B}+P_{1, M B S}^{M} M B S_{1}^{B}$
$\operatorname{DISC}_{1}^{B}\left(1+r_{1}^{C B}\right)+\operatorname{cash}_{1}^{B} \leq L S T_{1}^{B}\left(1+r_{1}^{S T}\right)$

## Bank B’s Second Period Constraints

$$
\begin{aligned}
& L S T_{2 g}^{B}+V_{2 g}^{B} D^{B}\left(1+r^{D}\right) \leq \operatorname{cash}_{1}^{B}+E_{2 g}^{B}+\text { DISC }_{2 g}^{B}+P_{2 g, \text { MBS }} \sigma_{2 g}^{B}\left(\text { MORT }^{B}-\text { MBS }_{1}^{B}\right) \\
& \pi_{2 g}^{B} \leq L S T_{2 g}^{B}\left(1+r_{2 g}^{S T}\right)+R E P O^{B}\left(1+r^{R E P}\right) \\
& +\left(1-\sigma_{2 g}^{B}\right)\left(\text { MORT }^{B}-\text { MBS }_{1}^{B}\right)\left(1+r^{\text {MORT }}\right)-\text { DISC }_{2 g}^{B}\left(1+r_{2 g}^{C B}\right) \\
& L S T_{2 b}^{B}+v_{2 b}^{B} D^{\beta}\left(1+r^{D}\right) \leq \operatorname{cash}_{1}^{B}+E_{2 b}^{B}+\text { DISC }_{2 b}^{B} \\
& +P_{2 b, \text { MBS }}\left[\vartheta_{2 b}^{B} M B S_{1}^{B}+\sigma_{2 b}^{B}\left(M O R T^{B}-M B S_{1}^{B}\right)\right] \\
& \pi_{2 b}^{B} \leq L S T_{2 b}^{B}\left(1+r_{2 b}^{S T}\right)+V_{2 b}^{\text {MORT }}\left(\text { MORT }^{B}-\vartheta_{2 b}^{B} M B S_{1}^{B}-\sigma_{2 b}^{B}\left(\text { MORT }^{B}-M B S_{1}^{B}\right)\right)\left(1+r^{\text {MORT }}\right) \\
& -D_{I S C}^{B b}\left(1+r_{2 b}^{C B}\right)
\end{aligned}
$$

## Non-Bank N’s Optimization Problem

$$
\begin{aligned}
\overline{\operatorname{Prof}}^{N}= & \tilde{\xi}_{2 g} \operatorname{Prof}^{N}\left(\pi_{2 g}^{N}\right) \\
& +\tilde{\xi}_{2 b}\left[\operatorname{Prof}^{N}\left(\pi_{2 b}^{N}\right)-\tau_{2 b}^{N}\left[R E P O^{N}\left(1+r^{\text {REPO }}\right)-V_{2 b}^{\text {MORT }} \operatorname{MBS}_{1}^{N}\left(1+r^{\text {MORT }}\right)\right]\right]
\end{aligned}
$$

where

$$
\operatorname{Prof}\left(\pi_{2 s}^{N}\right)=\frac{1}{1-\gamma^{N}}\left(\pi_{2 s}^{N}\right)^{1-\gamma^{N}}
$$

## Non-Bank N’s Budget Constraints

$$
P_{1, \text { MBS }} M B S_{1}^{N} \leq E_{1}^{N}+R E P O^{N}
$$

$$
P_{2 s, M B S} M B S_{2 s}^{N} \leq E_{2 s}^{N}
$$

$$
\begin{gathered}
\pi_{2 g}^{N} \leq\left(M B S_{1}^{N}+M B S_{2 g}^{N}\right)\left(1+r^{\text {MORT }}\right) \\
-\operatorname{REPO}^{N}\left(1+r^{R E P O}\right)
\end{gathered}
$$

$$
\pi_{2 b}^{N} \leq V_{2 b}^{\text {MORT }} \text { MBS }_{2 b}^{N}\left(1+r^{\text {MORT }}\right)
$$

## Loan to Value and Haircut Regulation

$L T V^{P}=\frac{M O R T^{B}}{P_{1, h} c_{1, h}^{P}}$
(mortgage divided by house price value)
$M R^{N}=\frac{E_{1}^{N}}{P_{1, M B S} M B S_{1}^{N}}$
(N's equity relative to its borrowing)

## B’s Middle of Period 1 Balance Sheet



## Liquidity and Capital Regulation

$C R_{\text {mid } 1}^{B}=\frac{E_{1}^{B}+\pi_{1}^{B}}{r w_{1}^{M O R T} \cdot\left(M O R T^{B}-M B S_{1}^{B}\right)+r w_{1}^{R E P O} \cdot R E P O^{B}}$
(riskless assets get zero risk weight)
$L C R_{\text {mid } 1}^{B}=\frac{L S T_{1}^{B}}{L S T_{1}^{B}+R E P O^{B}+M O R T^{B}-M B S_{1}^{B}}$

## B’s Middle of Period 2 Balance Sheet (Good state)

Assets

$$
\begin{array}{c|c}
L S T_{2 g}^{B} & E_{1}^{B}+E_{2 g}^{B}+\pi_{1}^{B} \\
R E P O^{B} & P_{-} L_{\text {mid } 2 g}^{B} \\
\left(1-\sigma_{2 g}^{B}\right)\left(M O R T^{B}-M B S_{1}^{B}\right) & {D I S C_{2 g}^{B}}^{2}
\end{array}
$$

$$
L C R_{\text {mid } 2 g}^{B}=\frac{L S T_{2 g}^{B}}{L S T_{2 g}^{B}+R E P O^{B}+\left(1-\sigma_{2 g}^{B}\right)\left(M O R T^{B}-M B S_{1}^{B}\right)}
$$

## B's Middle of Period 2 Balance Sheet (Bad state, before deposit default)

| Assets | Liabilities |
| :---: | :---: |
| $M O R T^{B}-\vartheta_{2 b}^{B} M B S_{1}^{B}$ | $E_{1}^{B}+E_{2 b}^{B}+\pi_{1}^{B}$ |
| $\operatorname{cash}_{2 s}^{B}$ | $P_{-} L_{\text {mid } 2 b}^{B}=R E P O^{B}-\left(1-\vartheta_{2 b}^{B}\right) M B S_{1}^{B}$ |
|  | $D^{B} \quad-P_{2 b, M B S} \vartheta_{2 b}^{B} M B S_{1}^{B}$ |

$$
C R_{\operatorname{mid} 2 b}^{B}=\frac{E_{1}^{B}+E_{2 b}^{B}+\pi_{1}^{B}+P_{-} L_{\text {mid } 2 b}^{B}}{r w_{2 b}^{M O R T} \cdot\left(M O R T^{B}-\vartheta_{2 b}^{B} M B S_{1}^{B}\right)}
$$

## b’s Middle of Period 2 Balance Sheet

 (Bad state, after deposit default)| Assets | Liabilities |
| :---: | :---: |
| $L S T_{2 b}^{B}$ | $E_{1}^{B}+E_{2 b}^{B}+\pi_{1}^{B}$ |
| $M O R T^{B}-\vartheta_{2 b}^{B} M B S_{1}^{B}$ | $P_{-} L_{\text {mid } 2^{\prime} b}^{B}$ |
|  | $D I S C_{2 b}^{B}$ |
|  |  |

$$
L C R_{m i d 2 b}^{B}=\frac{L S T_{2 b}^{B}}{L S T_{2 b}^{B}+M O R T^{B}-\vartheta_{2 b}^{\beta} M B S_{1}^{B}}
$$

## Dynamic Provisioning

Define Real Estate Related Credit Growth as
$g \%=\left(\frac{L S T_{2 g}^{P}+L S T_{2 g}^{F}}{M O R T^{B}+L S T_{1}^{P}}-1\right) \%$
Provision $\kappa$ per dollar of lending whenever $\mathrm{g}>$ " x "
$L S T_{2 g, p}^{B}+L S T_{2 g, h}^{B}+v_{2 g}^{B} D^{B}\left(1+r^{D}\right)+(g \%-x \%) \kappa$
$\leq \operatorname{cash}_{1}^{B}+E_{2 g}^{B}+\operatorname{DISC}_{2 g}^{B}+P_{2 g, \text { MBS }} \sigma_{2 g}^{B}\left(M O R T^{B}-M B S_{1}^{B}\right)$

Makes it possible to lean against the boom without directly distorting the allocations in the bust

| Endowments <br> of goods | Households' <br> wealth | F.I. capital | CB rates | Default <br> penalties | Risk <br> aversion | Other <br> parameters |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $e_{1, p}^{P}=10$ | Money $_{1}^{P}=4.1$ | $E_{1}^{B}=0.5$ | $r_{1}^{C B}=0.12$ | $\tau_{2 b}^{P}=4$ | $\gamma^{P}=2.1$ | $\omega_{2 b}=0.1$ |
| $e_{2 g, p}^{P}=32$ | Money $_{2 g}^{P}=4.1$ | $E_{2 g}^{B}=0.5$ | $r_{2 g}^{C B}=0.12$ | $\tau_{2 g}^{B}=1.2$ | $\gamma^{F}=2.1$ | $\xi=0.85$ |
| $e_{2 b, p}^{P}=5.8$ | Money $_{2 b}^{P}=0.1$ | $E_{2 b}^{B}=0$ | $r_{2 b}^{C B}=0.20$ | $\tau_{2 b}^{\beta}=1.2$ | $\gamma^{R}=2.4$ | $\delta=0.15$ |
| $e_{2 g, p}^{F}=11$ | Money $_{2 g}^{F}=4.1$ | $E_{1}^{N}=1$ |  | $\tau_{2 b}^{N}=0.2$ | $\gamma^{B}=1.4$ |  |
| $e_{2 b, p}^{F}=11$ | Money $_{2 b}^{F}=0.1$ | $E_{2 g}^{N}=2$ |  |  | $\gamma^{N}=0.7$ |  |
| $e_{1, h}^{R}=1$ | Money $_{1}^{R}=6.5$ | $E_{2 b}^{N}=1$ |  |  |  |  |
| $e_{2 g, h}^{R}=0$ | Money $_{2 g}^{R}=0$ |  |  |  |  |  |
| $e_{2 b, h}^{R}=0$ | Money $_{2 b}^{R}=0$ |  |  |  |  |  |


| Prices | Interest rates/Money supply | Aggregate Consumption |  | Loans |  | Securitization | Repayment rates | F.I. profits |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $r_{1}{ }^{S T}=0.12$ | $\begin{aligned} & \hline c_{1, p}^{P} \\ & =0.859 \end{aligned}$ | $\begin{aligned} & c_{1, p}^{R} \\ & =9.141 \end{aligned}$ | $\begin{aligned} & \hline L S T_{1}^{P} \\ & =8.81 \end{aligned}$ | $\begin{aligned} & L S T_{1}^{B} \\ & =42.06 \end{aligned}$ | $\begin{aligned} & M B S_{1}^{B} \\ & =21.52 \end{aligned}$ | $\begin{aligned} & V_{2 g}^{M O R T} \\ & =1 \end{aligned}$ | $\begin{aligned} & \pi_{1}^{B} \\ & =0.73 \end{aligned}$ |
| $P_{2 g, p}=1.39$ | $r_{2 g}^{S T}=0.12$ | $\begin{aligned} & c_{2 g, p}^{P} \\ & =1.126 \end{aligned}$ | $\begin{aligned} & \hline c_{2 g, p}^{R} \\ & =41.478 \end{aligned}$ | $\begin{aligned} & L S T_{2 g}^{P} \\ & =38.41 \end{aligned}$ | $\begin{aligned} & L S T_{2 g}^{B} \\ & =67.05 \end{aligned}$ | $\sigma_{2 g}^{B}=0.456$ | $\begin{aligned} & V_{2 b}^{M O R T} \\ & =0.47 \end{aligned}$ | $\begin{aligned} & \pi_{2 g}^{B} \\ & =1.42 \end{aligned}$ |
| $P_{2 b, p}=1.48$ | $r_{2 b}^{S T}=0.20$ | $\begin{aligned} & c_{2 b, p}^{P} \\ & =0.285 \end{aligned}$ | $\begin{aligned} & c_{2 b, p}^{R} \\ & =15.997 \end{aligned}$ | $\begin{aligned} & L S T_{2 b}^{P} \\ & =6.82 \end{aligned}$ | $\begin{aligned} & L S T_{2 b}^{B} \\ & =19.76 \end{aligned}$ | $\sigma_{2 b}^{B}=0$ | $V_{2 g}^{D}=1$ | $\begin{aligned} & \pi_{2 b}^{B} \\ & =1.00 \end{aligned}$ |
| $\begin{aligned} & P_{1, h} \\ & =676.96 \end{aligned}$ | $r^{D}=0.42$ | $\begin{aligned} & c_{1, h}^{P} \\ & =0.055 \end{aligned}$ | $\begin{aligned} & c_{1, h}^{R} \\ & =0.945 \end{aligned}$ | $\begin{aligned} & M O R T^{P} \\ & =24.32 \end{aligned}$ | $\begin{aligned} & \text { DISC } C_{1}^{B} \\ & =35.00 \end{aligned}$ | $\vartheta_{2 b}^{B}=0.068$ | $\begin{aligned} & \begin{array}{l} V_{2 b}^{D} \\ =0.56 \end{array} \end{aligned}$ | $\begin{aligned} & C C^{B} \\ & =3.42 \end{aligned}$ |
| $\begin{aligned} & P_{2 g, h} \\ & =1,111.41 \end{aligned}$ | $r^{M O R T}=0.75$ | $\begin{aligned} & c_{2 g, h}^{P} \\ & =0.047 \end{aligned}$ | $\begin{aligned} & \hline c_{2 g, h}^{R} \\ & =0.788 \end{aligned}$ | $\begin{aligned} & \hline L S T_{2 g}^{F} \\ & =13.20 \end{aligned}$ | $\begin{aligned} & D_{I S C}^{2 g} B \\ & =99.00 \end{aligned}$ | $\begin{aligned} & M B S_{2 g}^{N} \\ & =1.28 \end{aligned}$ |  | $\begin{aligned} & \operatorname{cash}_{1}^{B} \\ & =7.90 \end{aligned}$ |
| $\begin{aligned} & P_{2 b, h} \\ & =362.73 \end{aligned}$ | $r^{R E P O}=0.74$ | $\begin{aligned} & c_{2 b, h}^{P} \\ & =0.019 \end{aligned}$ |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  | 34 |  |  |


|  | Period 1 | Period 2, State g | Period 2, State b |
| :--- | :--- | :--- | :--- |
| Potatoes Prices | 1.08 | 1.39 | 1.48 |
| Housing Prices | 676.96 | $1,111.41$ | 362.73 |
| MBS Prices | 0.97 | 1.56 | 0.68 |
| Relative price of <br> potatoes to housing | 0.0016 | 0.0013 | 0.0041 |


|  | Period 1 | Beginning of <br> bad state | Middle of <br> bad state |
| :--- | :---: | :---: | :---: |
| Capital adequacy ratio | $9.91 \%$ | $3.46 \%$ | $8.24 \%$ |
| Liquidity ratio | $64.94 \%$ | - | $46.36 \%$ |
| Margin on repos | $4.78 \%$ | - | - |
| Loan-to-value ratio | $65.32 \%$ | - | - |
| Note: No dynamic provisions required in the good state. <br> per dollar of reserves for loan growth above 20 percent. |  |  |  |

